

Sl.642: pos. p,q.s :

$$P_{(a,b)} = \begin{matrix} q(a) :- \text{undef} \\ p(a) :- \text{undef} \end{matrix}$$

$$T_{P_{(a,b)}}^{\omega}(\emptyset, \emptyset) = \{q(a)_{\text{undef}}, p(a)_{\text{undef}}\}$$

result of AFP Comp: $(\emptyset, \emptyset) = \omega_p$

and there are two total stable models:

$$M_1 := (\{p(a)\}, \{q(a)\}) \leq \omega_p$$

$$M_2 := (\{q(a)\}, \{p(a)\}) \leq \omega_p$$

Consider $M := (\{q(a), p(a)\}, \emptyset)$

$M \models P$, but not 3-stable

Sl646: pos. rules p,q P:

$\forall \mathcal{X} : T_{\mathcal{X}} = \text{ground}(P)$
 (no neg. literals in rules)
 $\equiv P$



$$= T_{P_{\emptyset}}^{\omega}(\emptyset) = T_P^{\omega}(\emptyset) = \text{minimal model}$$

Stat. Prog. $P = P_0 \cup P_1 \cup \dots \cup P_n$ (n States)

over \neq underestimate
 \swarrow
 n. Statum
 finished

$P_0 \rightarrow$ grand instances of P
 replace neg. lits.
 (\rightarrow "all true")

2. Statum
 finished $\frac{w}{T P_1(\emptyset)}$

$\emptyset \xrightarrow{1 \text{ Statum finished } J_1} \forall \text{ States: all "possible" heads are deleted}$
 $S_1: \frac{w}{T P_1(\emptyset)} \hat{=} \text{Minimal Modell of } P_1$
 \Rightarrow all true & false atoms w.r. S_1 are deleted

FOL, Theorem Proving:

Reasoning

$P \neq \varphi$

\neq DB: compute answers or models

$\chi \neq \varphi$

entails, d.h. $\forall J$:

$J \models P \Rightarrow J \models \varphi$

spec \rightarrow

\leftarrow guarantees